

$$V(r) = k \cdot r^{(n+1)}$$

$$v[u_] := k / u^{(n+1)}$$

$$k = 10$$

$$10$$

$$l = 3$$

$$3$$

$$\mu = 1$$

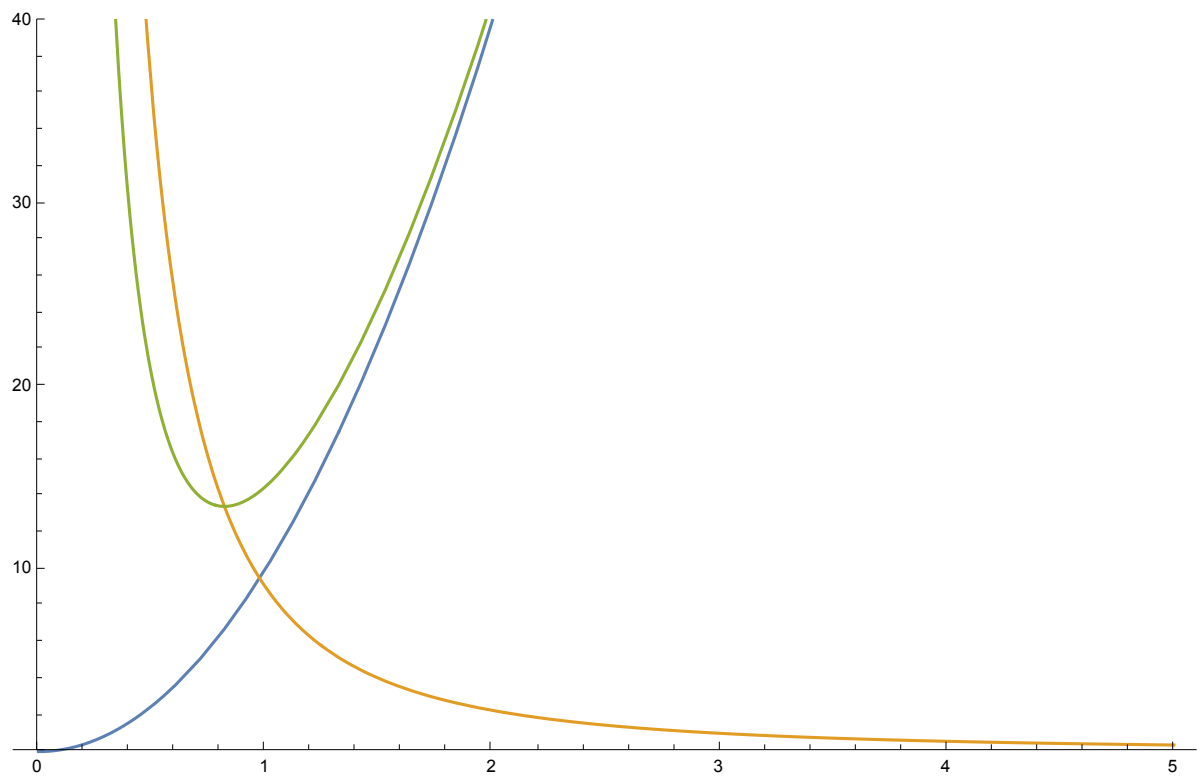
$$1$$

$$n = 1$$

$$1$$

$$\text{fakev}[u_] := l^2 / 2 / \mu * u^2 + v[u]$$

```
Plot[{v[1/r], l^2/\mu/r^2, fakev[1/r]}, {r, 0, 5}, PlotRange -> {0, 40}]
```



```
uequi = NSolve[fakev'[uu] == 0, uu, Reals]
```

```
{ {uu -> -1.22095}, {uu -> 1.22095} }
```

```
requi = 1/uu /. uequi
```

```
{ -0.819036, 0.819036 }
```

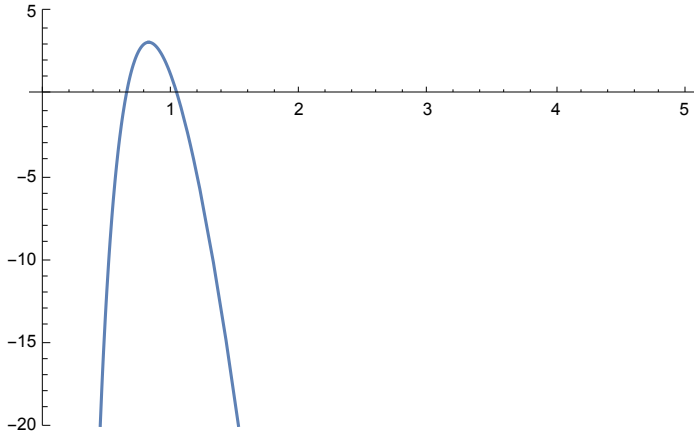
```
fakev[uu] /. uequi
```

```
{13.4164, 13.4164}
```

```
e = 15
```

```
15
```

```
Plot[2 * mu * e - l^2 / r^2 - 2 * mu * v[1 / r], {r, 0, 5}, PlotRange -> {-20, 5}]
```



```
utp = NSolve[2 * mu * e - l^2 / r^2 - 2 * mu * v[1 / r] == 0, r, Reals]
```

```
{{r -> -1.04183}, {r -> -0.643886}, {r -> 0.643886}, {r -> 1.04183}}
```

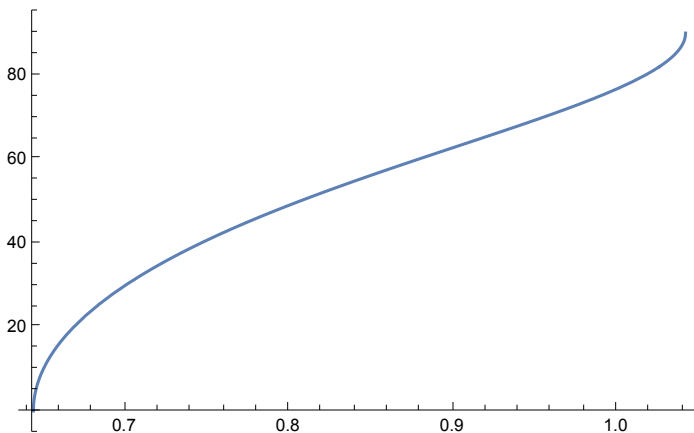
```
theta[rmax_] := l * Integrate[
```

```
1 / Sqrt[2 * mu * e - l^2 * uu^2 - 2 * mu * v[uu]], {uu, 1 / rmax, 1 / 0.6438864832989055}]
```

```
theta[1] * 180 / Pi
```

```
76.7175
```

```
Plot[180 / Pi * theta[rm], {rm, 0.6438864832989055, 1.041830214874270}]
```



```
ParametricPlot[{{rm * Cos[theta[rm]], rm * Sin[theta[rm]]},  
  {rm * Cos[Pi - theta[rm]], rm * Sin[Pi - theta[rm]]},  
  {rm * Cos[Pi + theta[rm]], rm * Sin[Pi + theta[rm]]},  
  {rm * Cos[-theta[rm]], rm * Sin[-theta[rm]]}},  
  {rm, 0.6438864832989055, 1.041830214874270}]
```

